

# Package ‘MultAlloc’

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**Type** Package

**Title** Optimal Allocation in Stratified Sampling

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**Description**

Integer Programming Formulations Applied to Univariate and Multivariate Allocation Problems.

**Imports** Rglpk

**License** GPL-2

**LazyData** TRUE

**RoxygenNote** 5.0.1

**NeedsCompilation** no

**Repository** CRAN

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BSSM\_FC

*Optimal Allocation - Minimum Sample Size*

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**Description**

Allocation of the overall sample size  $n$  to the strata for the following purpose:

The total variable survey cost  $C$  ( $c_1.n_1+c_2.n_2+\dots+c_H.n_H$ ) is minimized, subject to having Coefficients of Variation (CVs) for the estimates of totals of the  $m$  survey variables below specified thresholds.

If the unit level survey costs for sampling from the various strata are unknown or are assumed to be the same, then  $c_1, c_2, \dots, c_H$  may all be set to one and the alternative objective function to minimize is  $n_1+n_2+\dots+n_H$ .

**Usage**

`BSSM_FC(Nh, Sh2j, Yj, cvt, nmin, ch, certain)`

**Arguments**

<code>Nh</code>	Vector with total number of population units in each stratum ( $h=1, \dots, H$ )
<code>Sh2j</code>	Matrix (or vector) $m \times H$ ( $m$ = number of variables and $H$ = number of strata) with Population variance for each variable of the $h$ th stratum
<code>Yj</code>	Vector with population total $Y_j$ for the $j$ th survey variable
<code>cvt</code>	Vector with target cvs associated with survey variables
<code>nmin</code>	Smallest possible sample size in any stratum
<code>ch</code>	Vector with the unit level survey costs for sampling from stratum $h$
<code>certain</code>	if ( $n_H = N_H$ ) => <code>certain=TRUE</code> else <code>certain=FALSE</code>

**Details**

Function that uses an integer programming formulation

**Value**

<code>n</code>	Sample size
<code>nh</code>	Sample of size by stratum
<code>cvs</code>	Coefficients of variation for the estimators of totals of the survey variables considered
<code>time_cpu</code>	Time consumed by the algorithm (seconds)

**Author(s)**

Jose Brito (jambrito@gmail.com), Pedro Silva, Gustavo Semaan and Nelson Maculan

**References**

Brito, J.A.M, Silva, P.L.N., Semaan, G.S. and Maculan, N. (2015). Integer Programming Formulations Applied to Optimal Allocation in Stratified Sampling. *Survey Methodology*, 41, No.2, pp.427-442.

**See Also**

BSSM\_FD

**Examples**

```

#Example1 - Number of survey variables (m=2) and seven strata (H=7)
Nh<-c(49,78,20,39,73,82,89)
Yj<-c(542350,56089251)
Sh2j<-rbind(c(4436978,5581445,33454902,5763294,8689167,3716130,13938505),
            c(11034299660,40919330279,33519355946,18228286901,74247764986,49062224184,5783096806))
cvt<-c(0.02,0.02)
result<-BSSM_FC(Nh,Sh2j,Yj,cvt)

#Example2
#nmin>2
Nh<-c(49,78,20,39,73,82,89)
Yj<-c(542350,56089251)
Sh2j<-rbind(c(4436978,5581445,33454902,5763294,8689167,3716130,13938505),
            c(11034299660,40919330279,33519355946,18228286901,74247764986,49062224184,5783096806))
cvt<-c(0.1,0.1)
nmin<-20
result<-BSSM_FC(Nh,Sh2j,Yj,cvt,nmin)

#Example3
#certain=TRUE
Nh<-c(49,78,20,39,73,82,89)
Yj<-c(542350,56089251)
Sh2j<-rbind(c(4436978,5581445,33454902,5763294,8689167,3716130,13938505),
            c(11034299660,40919330279,33519355946,18228286901,74247764986,49062224184,5783096806))
cvt<-c(0.1,0.1)
result<-BSSM_FC(Nh,Sh2j,Yj,cvt,certain=TRUE)

#Example4
#Number of survey variables m=1
Nh<-c(49,78,20,39,73,82,89)
Yj<-542350
Sh2j<-c(4436978,5581445,33454902,5763294,8689167,3716130,13938505)
cvt<-0.1
result<-BSSM_FC(Nh,Sh2j,Yj,cvt)

```

**Description**

Allocation of the overall sample size  $n$  to the strata for the following purpose:

A weighted sum of variances (or relative variances) of the estimates of totals for the  $m$  survey variables is minimized.

**Usage**

BSSM\_FD(Nh, Sh2j, Yj, Cust, nmin, ch, w, certain)

**Arguments**

Nh	Vector with total number of population units in each stratum (h=1,...,H)
Sh2j	Matrix (or vector) mxH (m = number of variables and H =number of strata) with Population variance for each variable of the hth stratum
Yj	Vector with population total Yj for the jth survey variable
Cust	Corresponds to the overall variable cost budget for the survey C
nmin	Smallest possible sample size in any stratum
ch	Vector with the unit level survey costs for sampling from stratum h
w	Vector with Variable-specific weights, set a priori to represent the relative importance of the survey variables
certain	if (nH=NH) => certain=TRUE else certain=FALSE

**Details**

Function that uses an integer programming formulation

**Value**

n	Sample size
nh	Sample of size by stratum
cvs	Coefficients of variation for the estimators of totals of the survey variables considered
time_cpu	Time consumed by the algorithm (seconds)

**Author(s)**

Jose Brito (jambrito@gmail.com), Pedro Silva, Gustavo Semaan and Nelson Maculan

**References**

Brito, J.A.M, Silva, P.L.N.,Semaan, G.Srogramming Formulations Applied to Optimal Allocation in Stratified Sampling. Survey Methodology, 41, No.2, pp.427-442.

**See Also**

BSSM\_FC

**Examples**

```

#Example1
#Unit level survey costs for sampling from the strata are assumed to be the same.
#Number of survey variables (m=2) and seven strata (H=7)
#ch=1 ==> Cust = n
Nh<-c(49,78,20,39,73,82,89)
Yj<-c(542350,56089251)
Sh2j<-rbind(c(4436978,5581445,33454902,5763294,8689167,3716130,13938505),
            c(11034299660,40919330279,33519355946,18228286901,74247764986,49062224184,5783096806))
n<-200 #sample size
result<-BSSM_FD(Nh,Sh2j,Yj,Cust=n)

#Example2
#Unit level survey costs for sampling from the strata are assumed to be the same.
#ch=1 ==> Cust = n
#nmin>2
Nh<-c(49,78,20,39,73,82,89)
Yj<-c(542350,56089251)
Sh2j<-rbind(c(4436978,5581445,33454902,5763294,8689167,3716130,13938505),
            c(11034299660,40919330279,33519355946,18228286901,74247764986,49062224184,5783096806))
nmin<-20
n<-200
result<-BSSM_FD(Nh,Sh2j,Yj,nmin,Cust=n)

#Example3
#certain=TRUE
Nh<-c(49,78,20,39,73,82,89)
Yj<-c(542350,56089251)
Sh2j<-rbind(c(4436978,5581445,33454902,5763294,8689167,3716130,13938505),
            c(11034299660,40919330279,33519355946,18228286901,74247764986,49062224184,5783096806))
n<-200
result<-BSSM_FD(Nh,Sh2j,Yj,Cust=n,certain=TRUE)

#Example4
#Relative importance of the survey variables is different
w<-c(0.3,0.7)
Nh<-c(49,78,20,39,73,82,89)
Yj<-c(542350,56089251)
Sh2j<-rbind(c(4436978,5581445,33454902,5763294,8689167,3716130,13938505),
            c(11034299660,40919330279,33519355946,18228286901,74247764986,49062224184,5783096806))
n<-200
result<-BSSM_FD(Nh,Sh2j,Yj,Cust=n,w=w)

#Example5
#Number of survey variables m=1
Nh<-c(49,78,20,39,73,82,89)
Yj<-542350
Sh2j<-c(4436978,5581445,33454902,5763294,8689167,3716130,13938505)
n<-100
result<-BSSM_FD(Nh,Sh2j,Yj,Cust=n)

```



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